

(8)

9. Give in detail the analysis of variance for two way classification with one observation per cell.

द्वैत विभाजन के लिए एक प्रति अवलोकन प्रति कोशिका के लिए विचलन विश्लेषण का विवरण दीजिए।

A

(Printed Pages 8)

Roll No. _____

S-695

B.A. (Part-II) Examination, 2015

STATISTICAL INFERENCE & ANALYSIS OF

VARIANCE

First Paper

Time Allowed : Three Hours]

[Maximum Marks : 33

Note : Answer Question No. 1 and four other questions, selecting one question from each unit.

एक प्रश्न और चार अन्य प्रश्नों का उत्तर दें, प्रत्येक इकाई से एक प्रश्न चुनकर।

प्रश्न संख्या 1 और चार अन्य प्रश्नों का उत्तर दें।

1. (a) What do you understand by an estimator? Give an example.

अनुमानक क्या है? एक उदाहरण दें।

(2)

(b) Show that unbiasedness of an estimator T for θ does not imply that T^2 will also be unbiased estimator of θ^2 .

efo KeeFÜeskeä θ keä Deekäuekeä T keär Deved/vevele Üen Dev lefo& verneR keäj leer nwekeä T^2 Yeer θ^2 keäe Deved/vevele Deekäuekeä nesiee~

(c) Define sufficiency of a statistic with an example.

Üeeleomepe keär heÜechilee keär heej Yee-ee Goenj Ce meefn le oepelles

(d) Explain simple and composite hypothesis with an example.

meoeej Ce lelee medjeä heej keäuheveeDeelMeäes Goenj Ce meefn le mecePeeFÜes

(e) Explain critical region in testing of hypothesis.

heej keäuhevee hej e#eCe cell>eäbil ekeä #e\$e keäes eeFÜes

(7)

7. (a) Explain the problem of Interval estimation. How does it differ from the Point estimation?

Devlejeue Deekäueve keär meceÜee keäesmecePeeFÜes Üen ekeäme lejn ejevogDeekäueve mes e#e#e n#P

(b) Derive the likelihood ratio test for testing whether the correlation of a bivariate normal distribution is zero.

ekeämeer e#Üej ÜemeceevÜe mece#° cellmenmeczyevÜe Me#Üe nesie keär heej keäuhevee keäes hej e#e#e keäj ves n#eg Skeä melveedlele Devede hej e#eCe e#eeKelle

Unit - IV

FkeäF&- IV

8. What is analysis of variance? Discuss the model and analysis for one-way classification.

Üemej Ce e#elMueseCe mes keälee leelhele& n#P SkeäÜee eekeäj Ce keä Üeele#he Deej e#elMueseCe keäes mecePeeFÜes

(4)

Unit - I

Fract- I

2. Describe the method of moments of estimation and state the properties of these estimators. Find out the estimator of μ and σ^2 in a random sampling from a population $N(\mu, \sigma^2)$ by the method of moments.

Deekaukeka kear DeleCe&eDe kea JeCe keapUes leLee Fme Deekaukeka kear ijeDece&yeeFUs $N(\mu, \sigma^2)$ meceP mes Uehle UeeAeU kea DeleCe&Eje μ Je σ^2 kea Deekaukeka DeleCe&eDe Eje %eele keapUes

3. What do you understand by consistency? State the sufficient condition of consistency. Show that for a random sample from Cauchy population with density function.

$$f(x, \mu) = \frac{1}{\pi [1 + (x - \mu)^2]}, \quad -\infty < x < \infty$$

the sample median is a consistent estimator for μ .

(5)

melelee mesDee keble mecePees nP melelee kea helleele DeleyevDe keble nP ebKeeFUs eka :

$$f(x, \mu) = \frac{1}{\pi [1 + (x - \mu)^2]}, \quad -\infty < x < \infty$$

mes eUeUes iUes UeeAeU kea DeleCeMe& kear DeleCeMe&ceceUe kea μ kea melele Deekaukeka nw

Unit - II

Fract- II

4. State and prove Cramer-Rao inequality. Using it determine minimum variance unbiased estimation θ , in $N(0, \theta)$. Also find Cramer-Rao lower bound of variance of estimate of θ .

%ecej-jee Demeeceke keas eUeeUes leLee eDee keapUes Fmeke DeUee keaj lesn $N(0, \theta)$ yeUve ka eUeUes kea vUeelece Deej Ce Devedvele Deekaukeka %eele keapUes θ kea Deekaukeka kea Deej Ce kear %ecej-jee vUeelece mecece Yeer %eele keapUes

5. Define most powerful (MP), uniformly most powerful (UMP) and uniformly most powerful

(6)

unbiased (UMPU) tests with suitable examples.
 meLece (MP) meceve=heer meLece (UMP) leLee meceve=heer
 meLece Deved/evele (UMPU) hej e#eCeellkeær heej Yee-eeSb GheUjeã
 GoenjCe meehle oæpelles

Unit - III

FkeæF&- III

6. State and prove Neyman-Pearson Lemma.
 Use it to obtain the best test for $H_0 : \mu = \mu_0$ on
 the basis of a random sample of size n drawn
 from a normal population $N(\mu, 1)$ against the
 alternative hypothesis $H_1 : \mu = \mu_1$ when (i) $\mu_1 >$
 μ_0 , (ii) $\mu_1 < \mu_0$
 veeve-ehelJemette DecesUkeã keæseUeeKellJesleLee ehææ keæepelles Fmekeã
 UeUee keãj keã ðemeceevUe meceep^o $N(\mu, 1)$ GheueyDe n heej cæCe keã
 UeeAedU keã Ueeleome&hej DeeOeej le MeUe heej keãuhevee $H_0 : \mu = \mu_0$
 keã meeh#e ekeãuhe heej keãuhevee $H_1 : \mu = \mu_1$ keã eUelles meLece
 hej e#eCe Ueele keæpellespeyeekeã (i) $\mu_1 > \mu_0$, (ii) $\mu_1 < \mu_0$ nes

(3)

- (f) What are the type I and type II errors in
 testing of hypothesis?
 heej keãuhevee hej e#eCe cellUeLece Uekeãj leLee eELeete Uekeãj
 keær SegS UeeB keãlee nP
- (g) Write the concept of best confidence in-
 tervals.
 meLeedUe eUeeUeeeme DevUjeue keær veeUe keæs eUeeKellJes
- (h) State two applications of t-distribution.
 t-yeUve keã oes GheUeeceellkeæs eUeeKellJes
- (i) In what way analysis of covariance differ
 from analysis of variance?
 menUemej Ce eUeeUeece, Uemej Ce eUeeUeece mes ekeãme Uekeãj
 eUee nP
- (j) What are underlying assumptions of the
 analysis of variance?
 Uemej Ce eUeeUeece keær eUeeUe keãuheveeSB keãlee nP